#### Lecture 5: Fundamentals of Machine Learning Pt. 2

**INFO 1998: Introduction to Machine Learning** 

**Bias vs. Variance & Tuning Models** 



#### Announcements

#### Mid-Semester Check-in

Where you should be right now:

- Have an idea of what your problem statement/hypothesis is
- Have your group chosen
- Have your data set chosen and some progress

Complete in OH or after lecture anytime between **now** and **Oct 23rd** Cornell Drop Deadline: **Oct 21** 



#### Apply to Cornell Data Science! 📣

- All subteams are recruiting freshmen this semester!
  - Deadline: October 17th, 11:59pm
  - Don't forget to also submit the College of Engineering <u>application</u>.
- Application Link:
  <u>https://cornelldata.science/recruitment</u>
- If you're enjoying this class...
  - $\circ$  you'll LOVE being on CDS  $\odot$



Subteam UTea trip!



#### What We'll Cover

Last Time's Goal: identify what ML is and write ML code (to some extent)

This Time's Goal: how to tell if your ML model is useful (good)



#### Agenda

- 1. Review
  - Types of Machine Learning
- 2. Measuring Accuracy/Error
- 3. Model Selection
- 4. Feature Selection



# **Review: Defining ML**

We want to predict the future

- Take some known input and output
- Learn that data's "pattern" to:
  - Given a future input, predict<sup>1</sup> the corresponding output

<sup>1</sup> We model how the output is generated



**Review: Machine Learning Pipeline** 





#### **Review: Model**

- "Model training" = learn a relationship
- "Model testing" = check if the learned relationship is generalizes
- "Model validation" = simulates model performance when used in real life



# **Different Types of ML** (supervised & unsupervised) (classification & regression)



## **Supervised vs. Unsupervised**

Supervised learning...

- Goal: Predict output
- Needs known output/target

#### Unsupervised learning...

- Goal: learn more about the data (ex. trends)
- Doesn't need known output



#### **Examples of Supervised: Classification and Regression**



Classification

Regression



#### **Classification or Regression?**

Select all images with a **bus** Click verify once there are none left.







#### **Classification or Regression? Examples from my internship**

Detecting fake students (adults using student discount)



#### Predicting the value of a customer





# **Measuring Training Accuracy**





**1. Split data (lecture 7)** 

2. Assess model accuracy (today)

3. Adjust Model (a bit today)



#### Loss, Cost, and Score Functions

#### • Loss Function

- How far is a prediction from its corresponding answer
- Used as a penalty for mislabelling in training to help a model learn

#### • Cost

• Applies loss function to each point, then combines that into a single number

#### • Metric (Score Function)

- How well the model did across all data points
- Interpretable, for the model builder



#### **Examples of Loss & Metrics: Multiple Choice Exams**

- How would you evaluate these?
  - If the answer is A) but you pick B)

#### 9

Why does Akira say his meeting with Chie is "a matter of urgency" (line 32)?

- A) He fears that his own parents will disapprove of Naomi.
- B) He worries that Naomi will reject him and marry someone else.

#### 10

Which choice provides the best evidence for the answer to the previous question?

- A) Line 39 ("I don't . . . you")
- B) Lines 39-42 ("Normally ... community")



. The graph of the function f is shown in the figure above. The value of  $\lim_{x\to 0} f(1-x^2)$  is

(A) 1 (B) 2

#### **Examples of Loss & Metrics: Multiple Choice Exams**

- Zero-one loss:
  - 1 if prediction != answer
  - 0 if prediction == answer



#### **Examples of Loss & Metrics: Google Maps**

- How would you evaluate this?
  - If Google Maps says it will take 26 mins but it actually takes x minutes





#### Linear Regression Loss Formula: Euclidean Distance

loss (
$$x_i, y_i$$
) = (h( $x_i$ ) -  $y_i$ )<sup>2</sup>

Two things to note about this loss function:

- Positives and negatives won't cancel
- Large errors are penalized to a power of 2 (more)

In what situations might you want a low penalty loss function as opposed to this high penalty loss function?





#### Linear Regression Loss Formula: Euclidean Distance

loss (
$$x_i, y_i$$
) = (h( $x_i$ ) -  $y_i$ )<sup>2</sup>

What could the **cost function** be?

- MSE = ( ... )/N
  - Where N is the number of data points



#### How do you know if something is good?

• "I throw at a speed of 35 ft/sec."



#### How do you know if something is good?

• "I throw at a speed of 35 ft/sec. The average for pros is 27 ft/sec."



#### **Compare to Baseline**

- When evaluating accuracy, compare our model to a **baseline** 
  - For regression, one baseline model is the model that predicts the **average** of the target value for every point
  - For our purposes: don't worry about the baseline *model*



#### **Sk-learn's score function**

1 - ([Cost of model] / [Cost of baseline])

- >0 means you beat the baseline
- 0 means you were equal to the baseline
- <0 means you're worse than the baseline



# **Overfitting and Underfitting** (how generalizable is the performance?)



#### **Model Goals**

When training a model, we want our model to:

- Capture the trends of the training data sample
- Generalize well to the whole population
- Be moderately interpretable

The first two are especially difficult to do simultaneously!

• Want to choose the right amount of complexity



#### **Generate Samples To Illustrate Over/Under fitting**



# Underfitting





#### **Underfitting:** Too simple





## Underfitting





#### **Underfitting:** Too simple





# Underfitting





#### **Underfitting:** Too simple





#### Underfitting: at least the models are consistent...





























#### **Overfitting: What's the issue?**



Model trained on sample





#### **Overfitting: Inconsistent Models!**





#### **Overfitting: Results from training with high sensitivity**





#### **Overfitting: doesn't generalize well!**







# **Understanding Model Error**



Aside: how do these affect the distribution?

# **Expected Test Error Decompositio**

Framework for thinking about data:

- The world has randomness: data is randomly drawn from some distribution
- Some things have stable relations
  - Elephants are bigger than ants Ο
  - Sun exposure can cause sun burns Ο

- $\rightarrow$  general relation but with some variation
  - Most things happen once, so we can only observe one of many the possible outcomes



#### **Expected Test Error Decomposition**

#### Bias

- Error that would still exist if you had an infinite amount of training data
- Inherent to the model
  - ex. We demonstrated high bias by using a linear classifier on non-linear data

#### Variance

- How would your model change if you had a different training set?
- Measures how specialized your model is to your specific training set

#### Noise

- Measures inherent ambiguity in the data distribution
- Cannot reduce "noise" by editing algorithm





High Bias





High Variance

Low Variance

## What does this mean intuitively?

## Bias

- Bad
- Results from incorrect assumptions in the

learning algorithm

## Variance

- Bad
- Results from

sensitivity to

fluctuations in the

data



#### **Balancing Bias and Variance**





#### **Detecting and Resolving Bias and Variance**

- If: High train error
  - Increase model complexity
  - Add more information (features)
  - Boost (later lecture)
  - Change model assumptions
- If: Train error << test error (and test error still too high)
  - Reduce model complexity
  - Add more training data
  - Bag (later lecture)





# Different Topic Ahead Any questions before we continue



# Feature Selection (adjusting models)



#### **Methods**

- **Goal:** Find subset of features that gives a <u>good enough model</u>, in a <u>reasonable amount of time</u>.
- Why:
  - More interpretable
  - More stable results
  - Less redundant/potentially misleading data
  - Faster



#### Correlation, r

The correlation between two variables describes to what extent changing one would change the other.

- Real-valued in [-1,1]
- A variable is always perfectly correlated with itself (correlation=1)





#### **Important Case: Collinearity**

Collinear: when two features have a correlation near -1 or 1

- If a feature is collinear with the target, then it's a good choice for linear regression
- If two features are collinear, they're *redundant* 
  - Might as well not use one of them
  - Some models *require/assume* no collinear features
  - Takes more time, and doesn't add much information at the cost of *increased variance/sensitivity*









# **Coming Up**

- **Assignment 4:** Due tonight at midnight!
- Assignment 5: Due midnight next Friday (10/18)
- Mid-Semester Check-In: Now till Wednesday (10/23)
- Next Lecture: Intro to Classification

# Have a great Fall Break!!

